

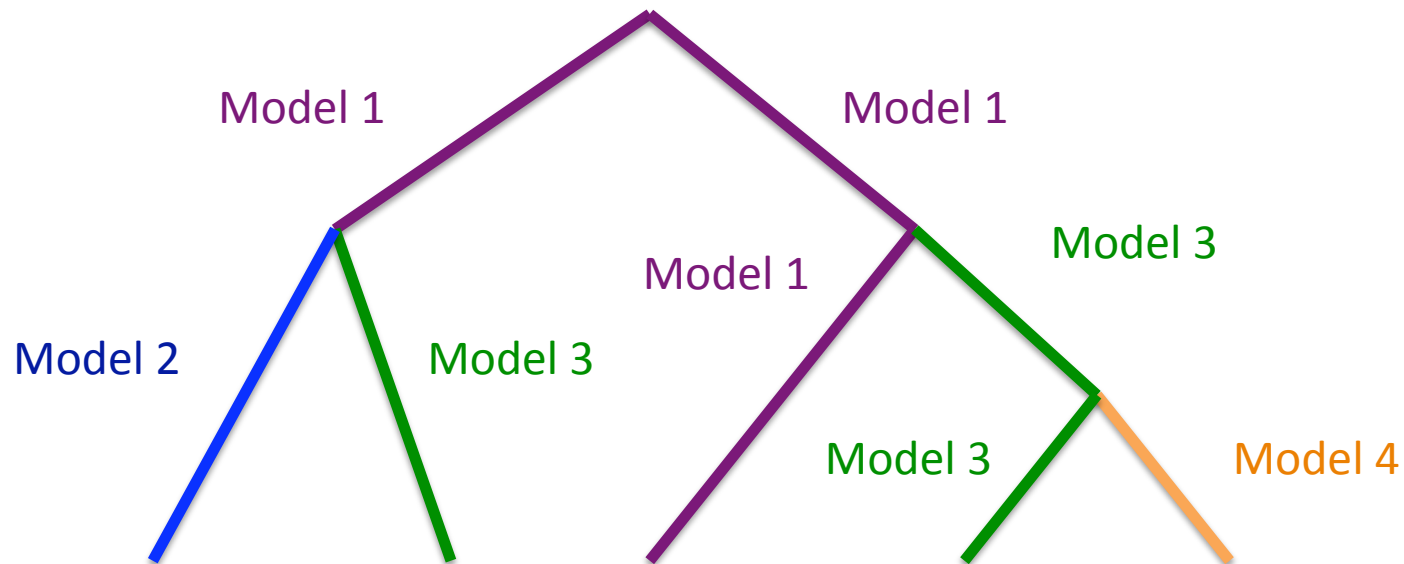
A more realistic approach to simulating heterotachy and its effect on phylogenetic accuracy

Christoph Mayer

Stefan Richter

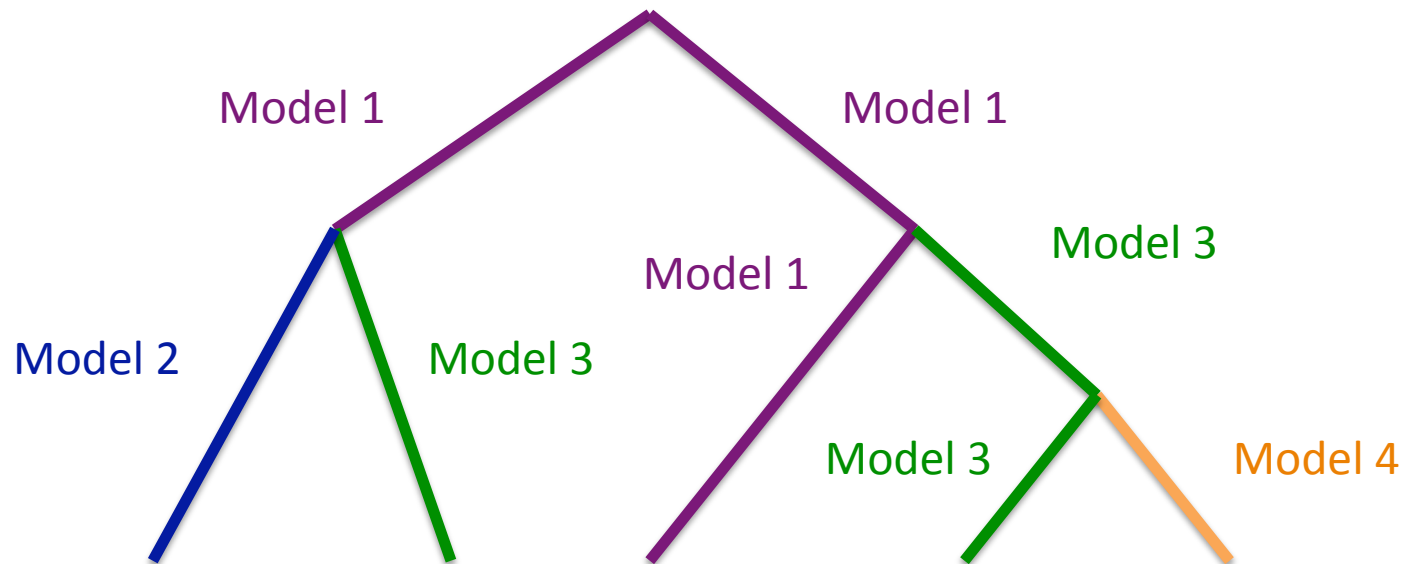
Simulating data sets with multiple models

We developed a simulation program which allows simulating data sets along a given tree with different substitution models along different branches of a tree



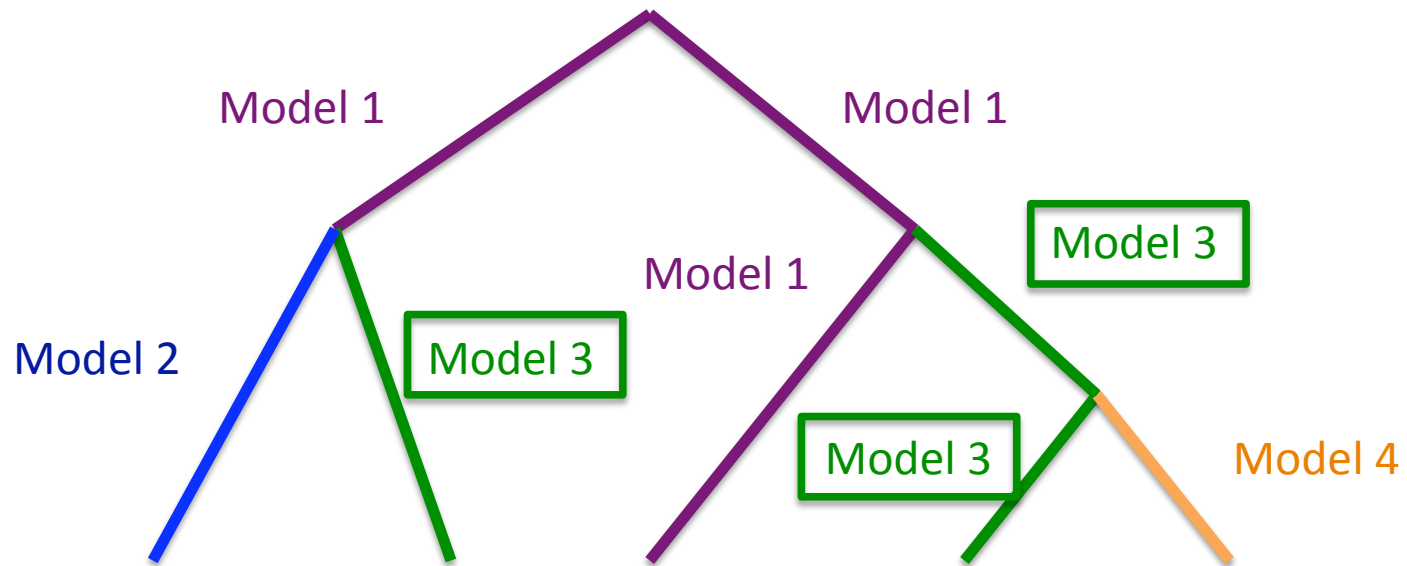
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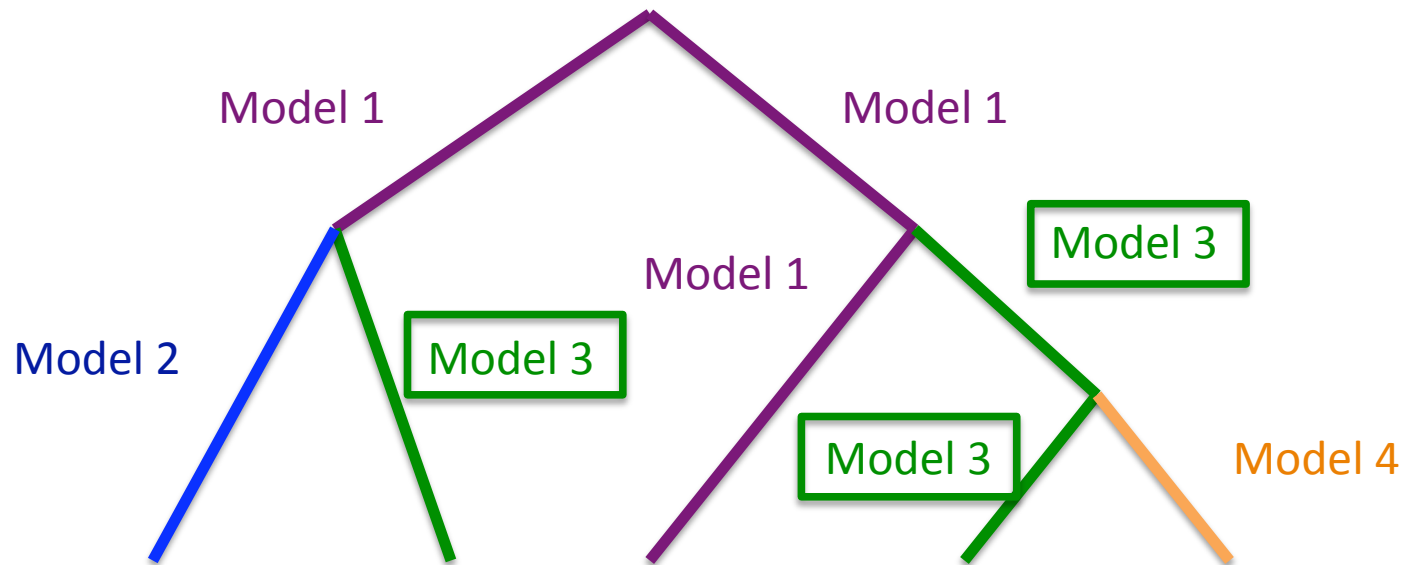


Substitution model: Basic model + Parameters + G + I

Simulating data sets with multiple models

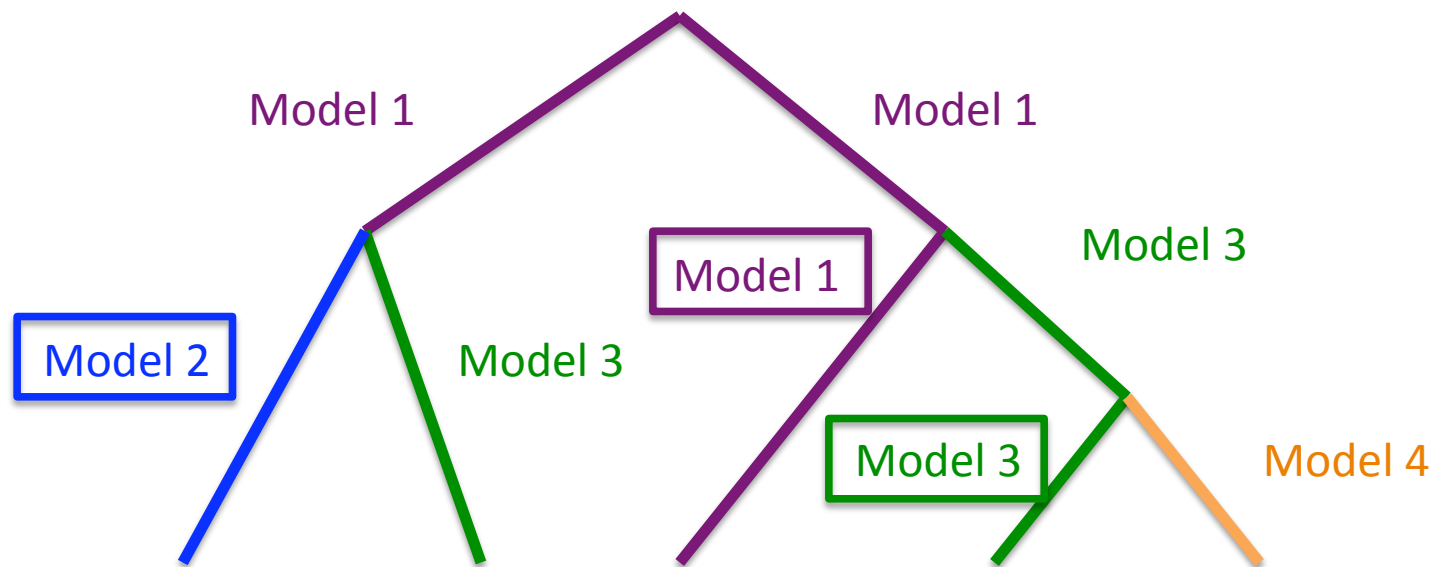


Simulating data sets with multiple models

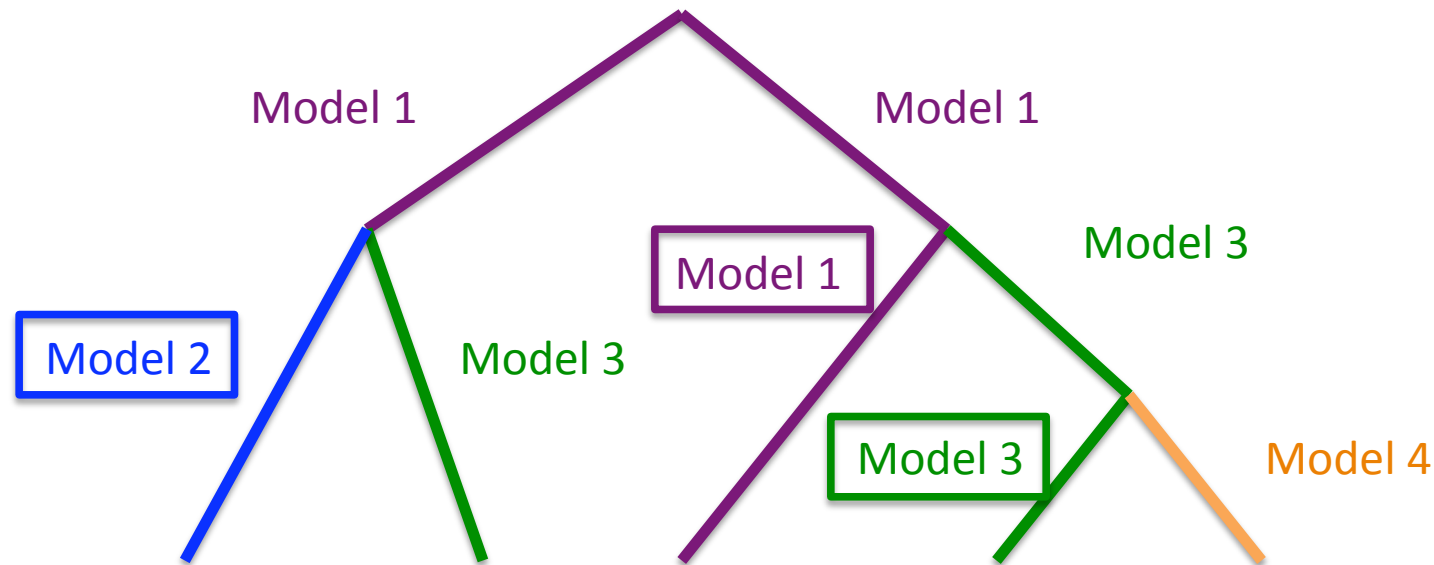


Models with **same name share** site-rates drawn from a gamma distribution + invariant sites

Simulating data sets with multiple models



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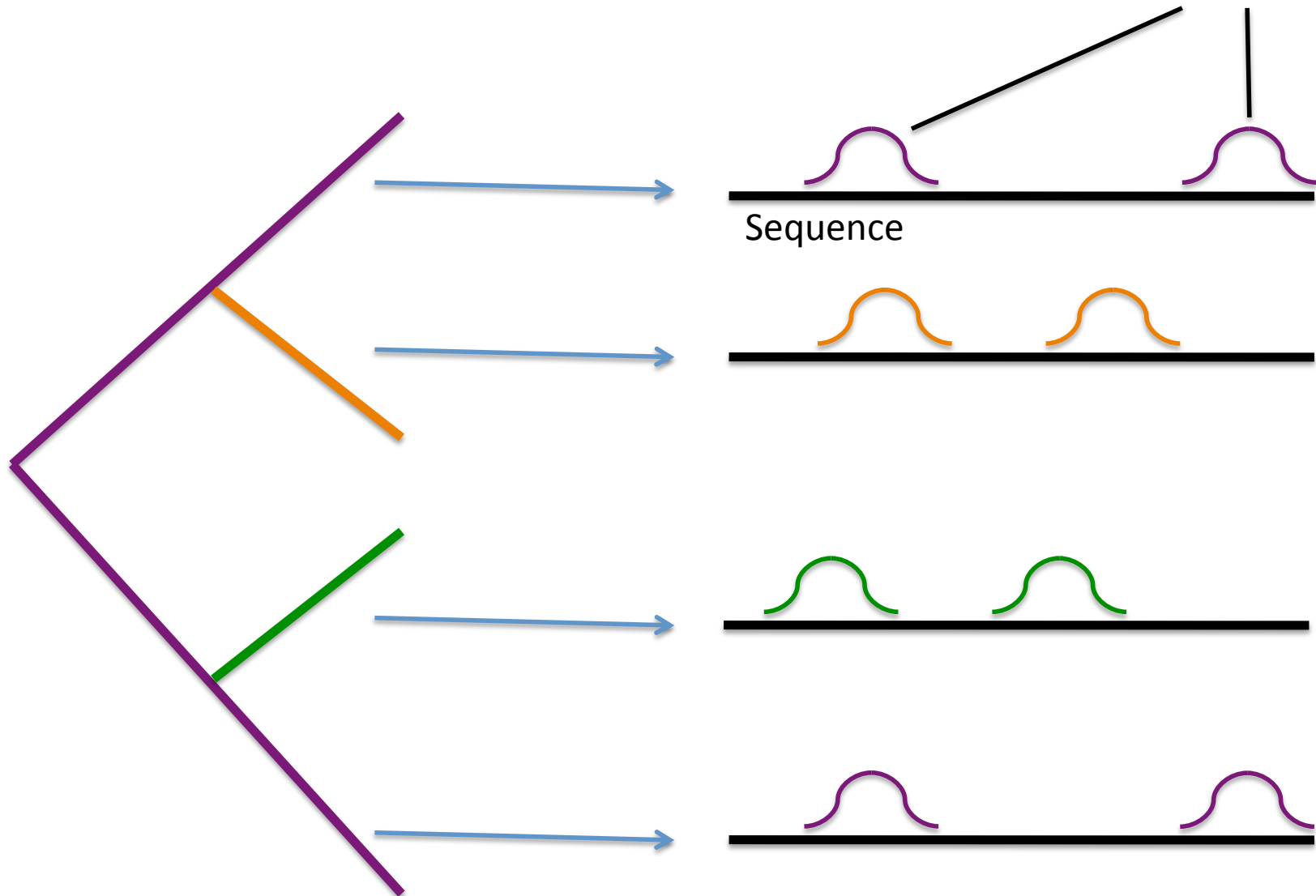


Models with **different names have different** site-rates drawn from a gamma distribution + different random invariant sites.

A proportion of sites can be specified that is **inherited** from a previously defined model.

Simulating data sets with multiple models

Effect of different site-rates along different branches: **Different substitution hotspots**



Our approach differs from previous approaches:

Phylogenetic mixtures: Different sites/partitions of alignment are simulated along different trees

Covarion models: Tuffley and Steel (1998) Site variation can be switched on or off governed by a Markov process
Galtier (2001) Site-rates can switch among multiple evolutionary rates by a Markov process

- Proportion of sites in each rate category is constant across tree
- Rate at which sites switch is proportional to expected number of substitutions per site

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Our approach is more closely related to phylogenetic mixtures, but differs from it.

Simulation setup:

The following simulation setup has been used:

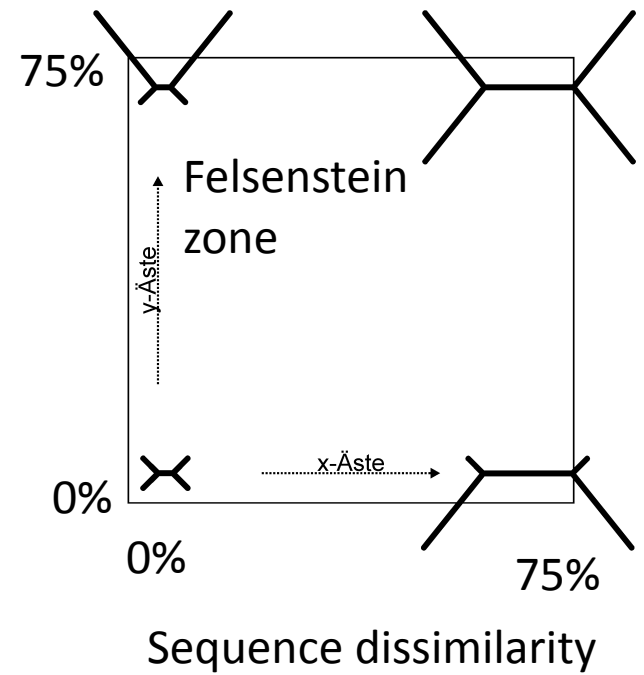
- data sets were simulated with a Markov process on 4-taxon trees
- on each branch we used a JC + G model to simulate evolution
- if not indicated otherwise, site rates were drawn randomly from a gamma distribution with $\alpha = 0.1$
- **heterotachy** was simulated by using “different” models on different branches, where by different model we mean that all site-rates were drawn independently. All equal models have the same site-rates.
- trees were reconstructed with PAUP* using ML and MP. For ML the JC+G model was specified and the parameter α was estimated (using 8 rate categories)

How to interpret the plots:

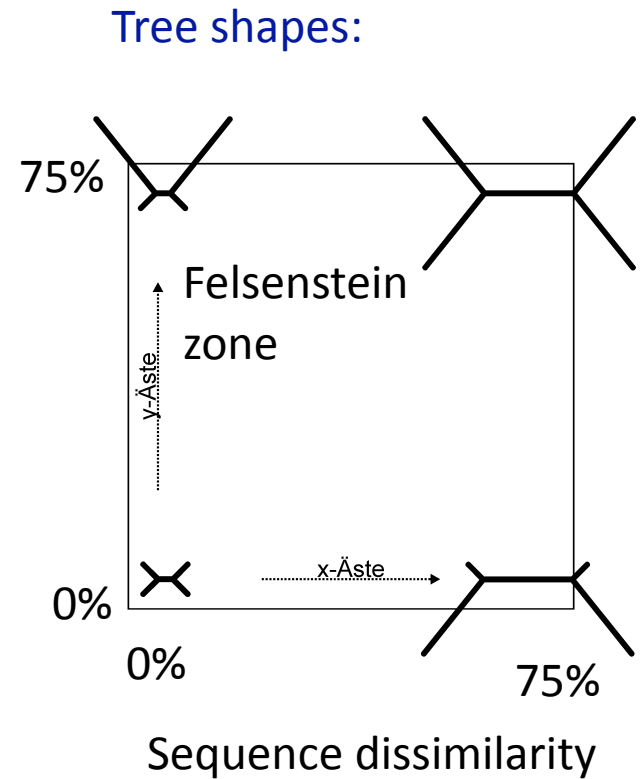
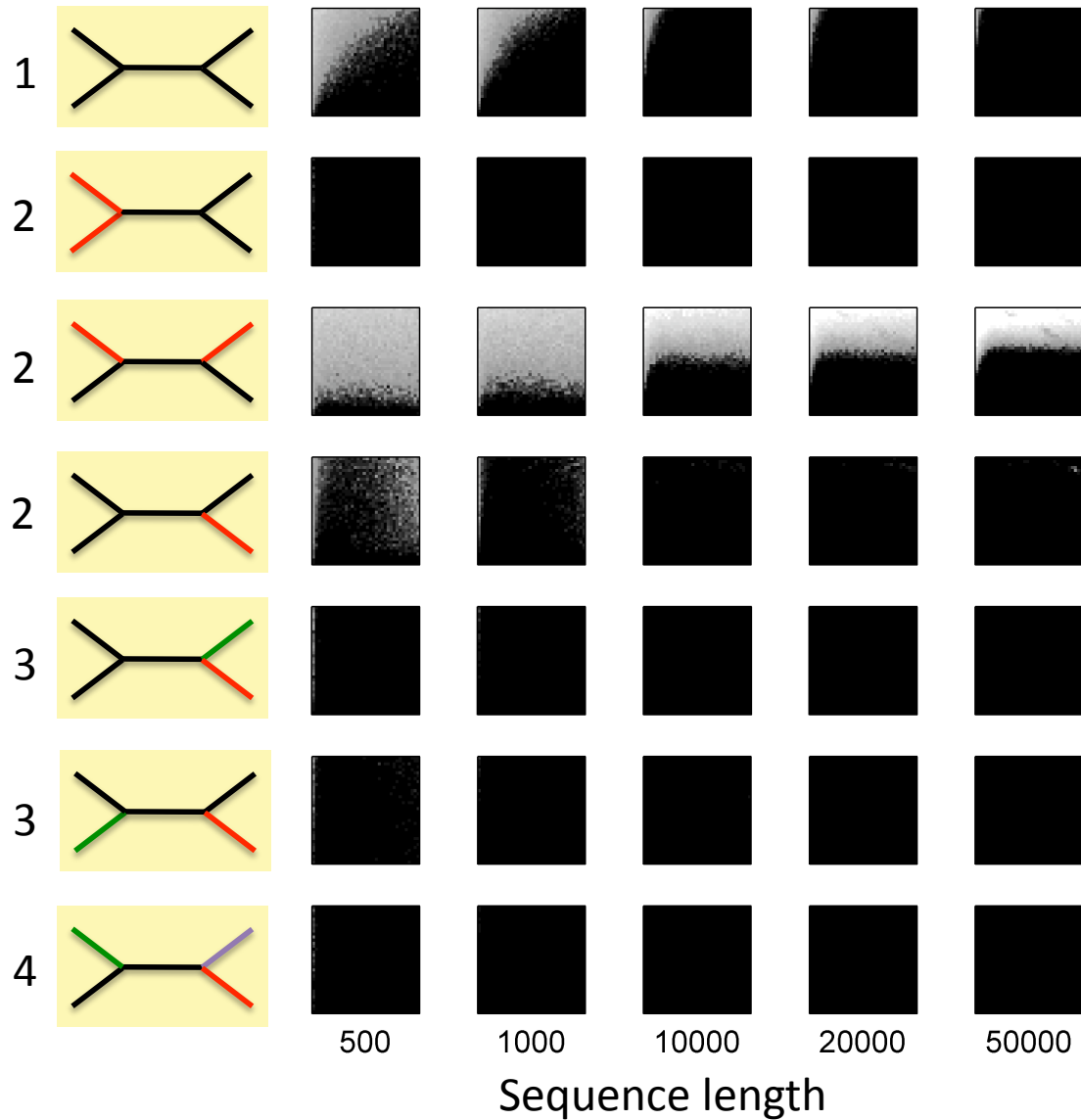
- in the plots a high reconstruction success is indicated by black, a low success by white areas.
- in the plots, branch lengths were varied from 1% to 73% sequence identity under the JC model in steps of 2% with 200 replicates at each point (analogous to Huelsenbeck 1995)

All models: JC + G, $\alpha = 0.1$

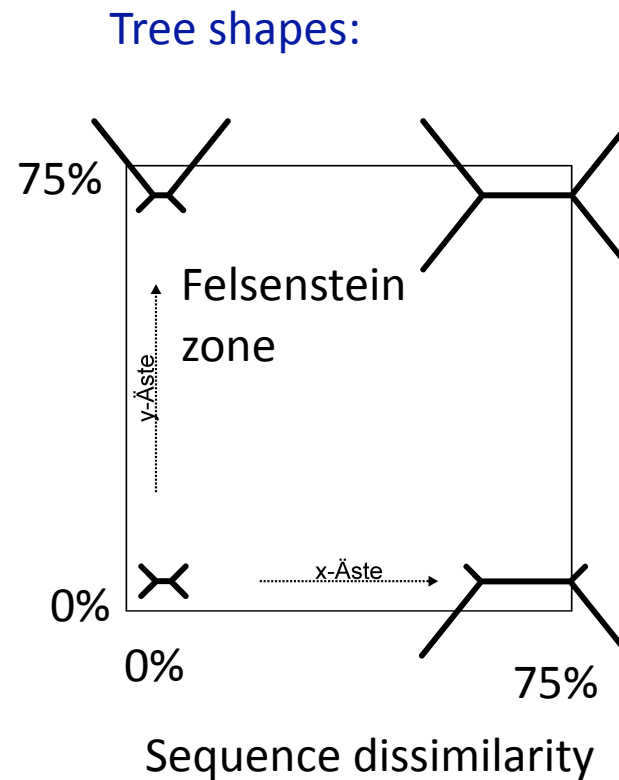
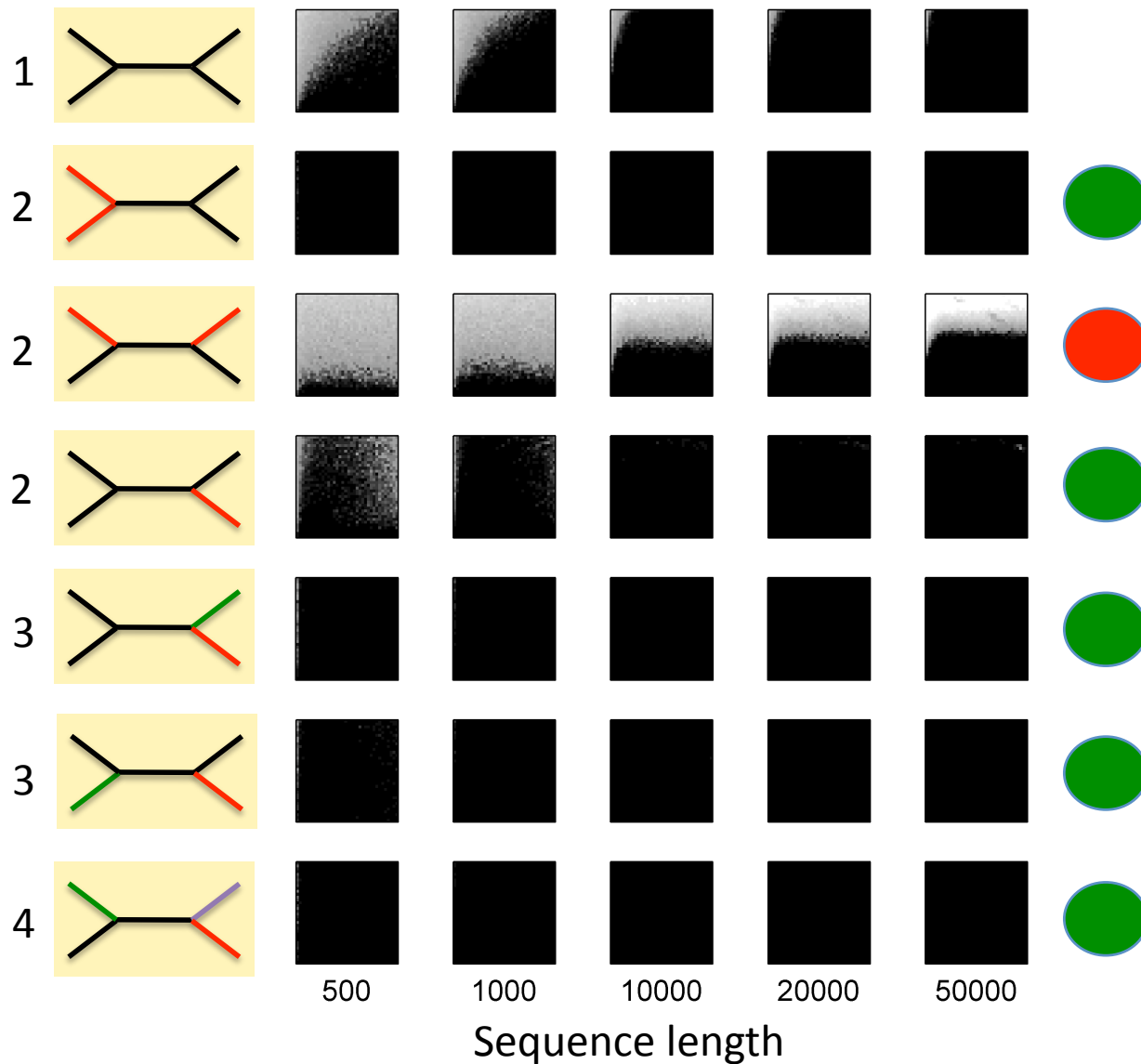
Tree shapes:



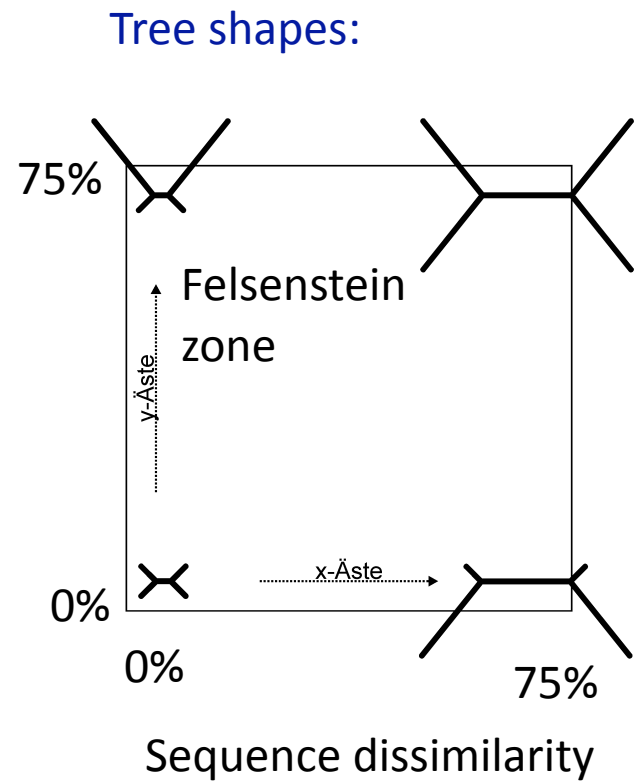
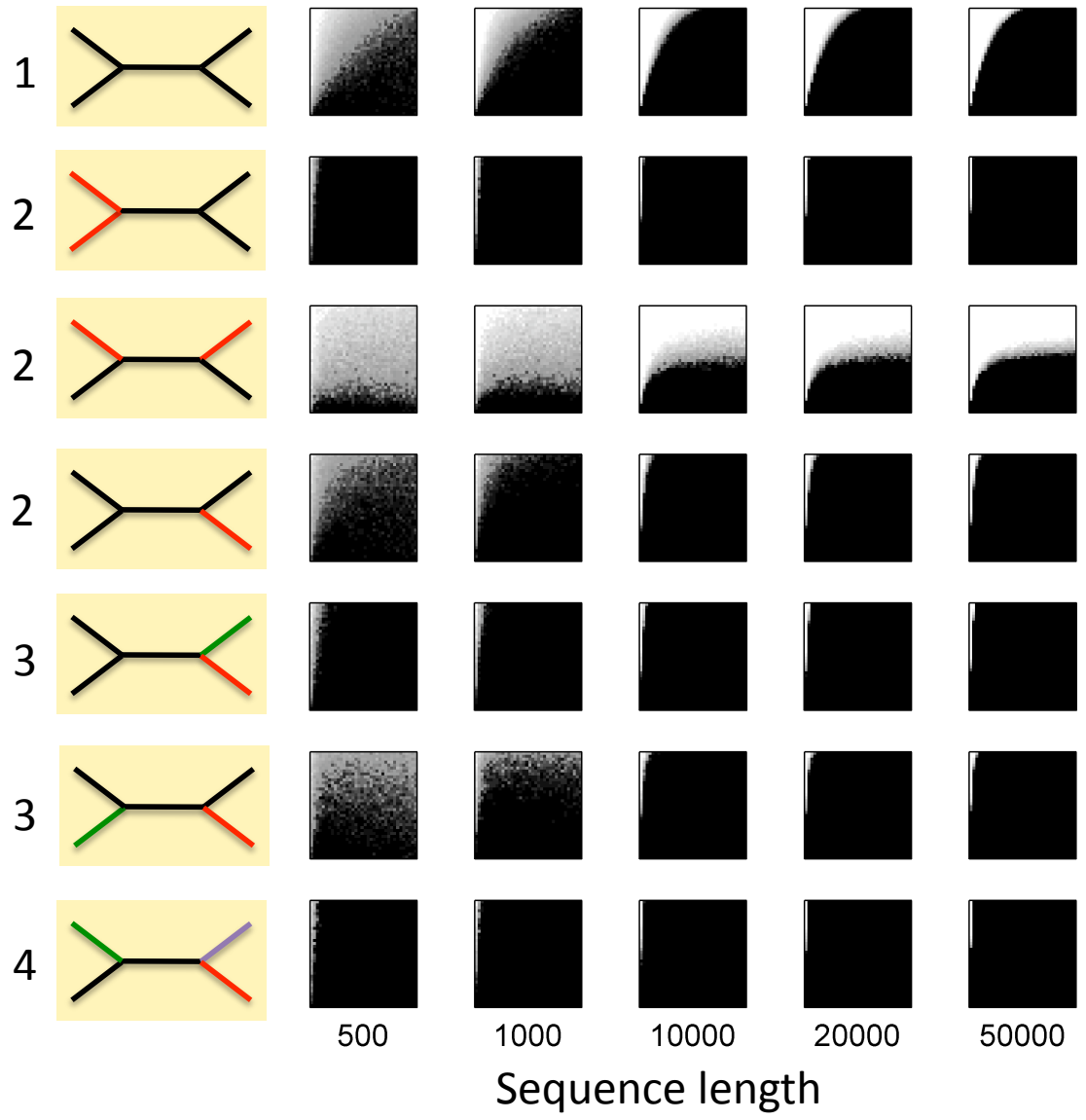
All models: JC + G, alpha = 0.1, Reconstruction: **ML**



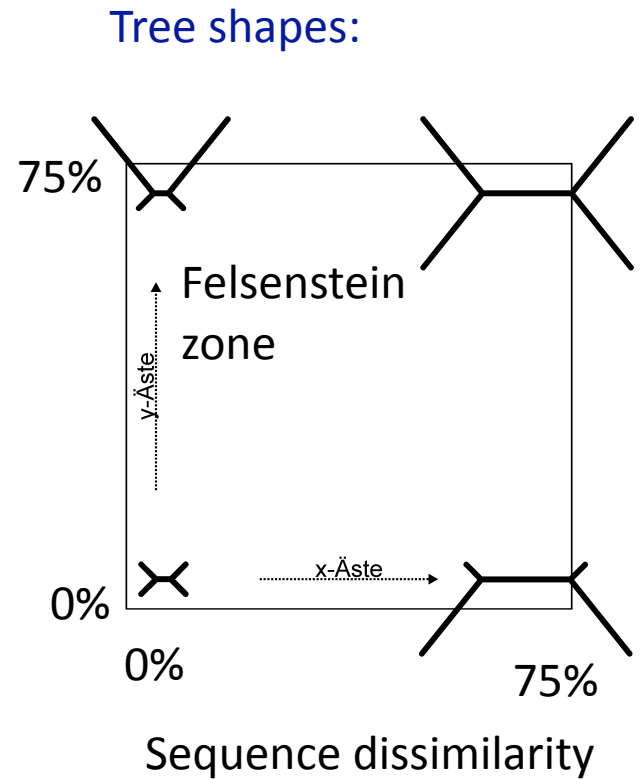
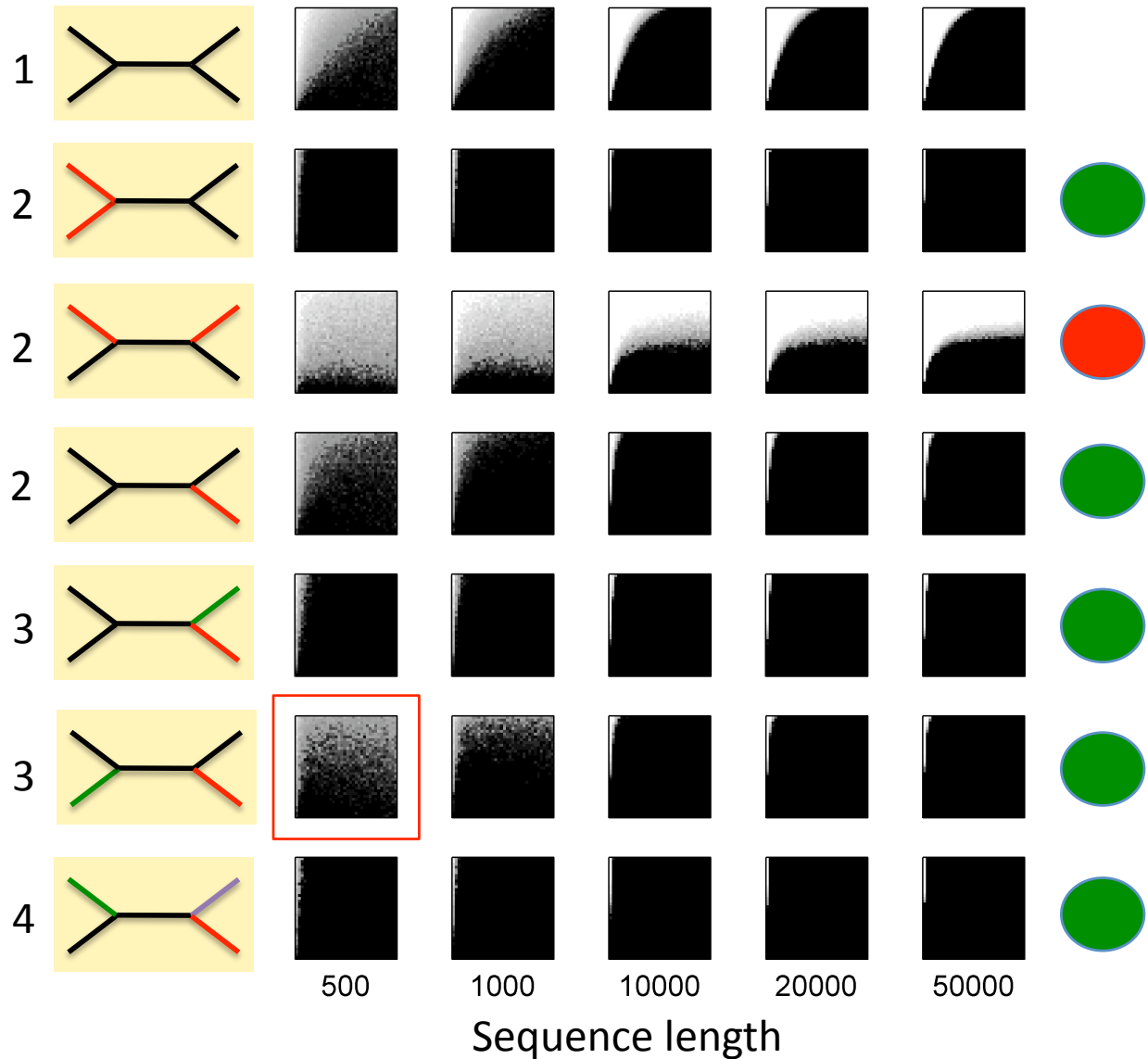
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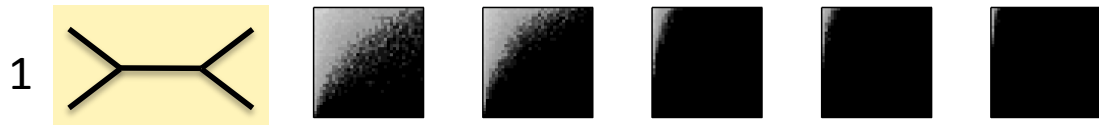
All models: JC + G, alpha = 0.1, Reconstruction: **MP**



All models: JC + G, alpha = 0.1, Reconstruction: MP



All models: JC + G, alpha = 0.1, Reconstruction: **ML**



Third model has alpha = 0.1



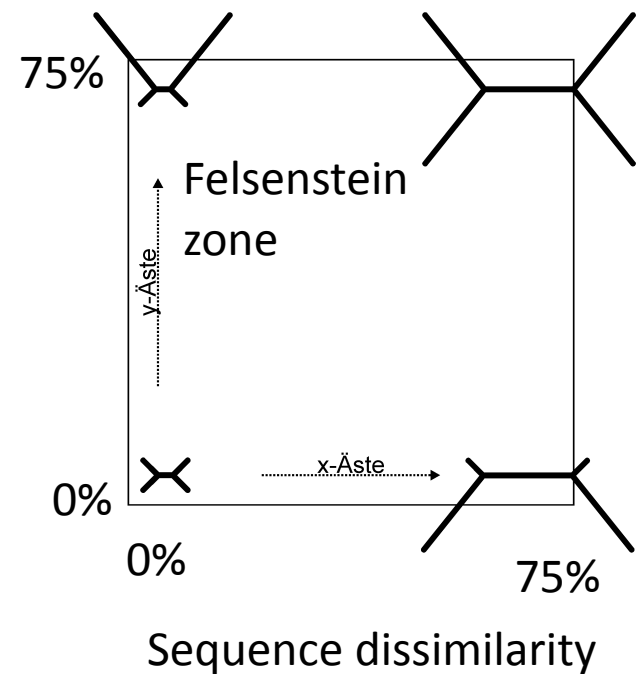
Third model has equal rates



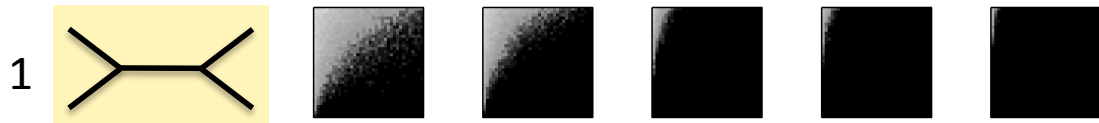
500 1000 10000 20000 50000

Sequence length

Tree shapes:



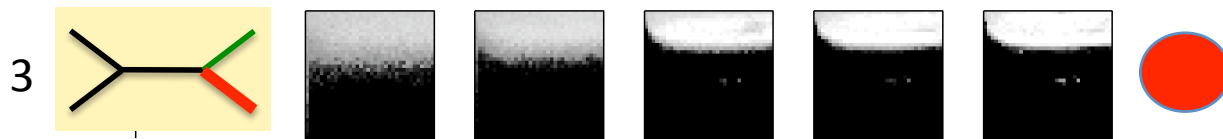
All models: JC + G, alpha = 0.1, Reconstruction: ML



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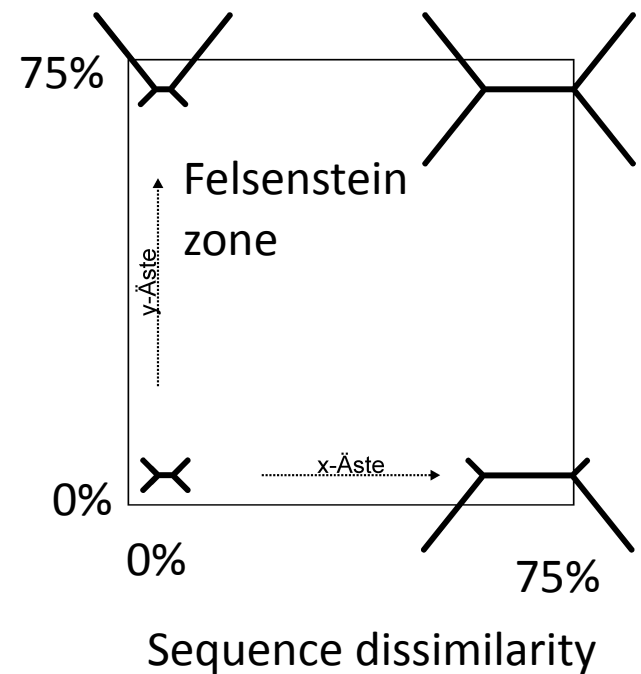
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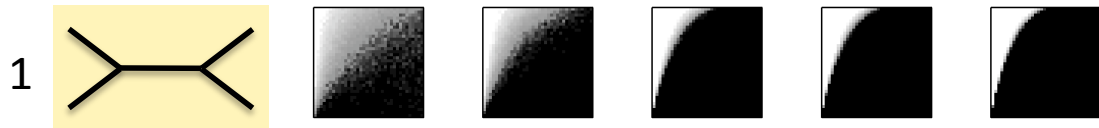
500 1000 10000 20000 50000

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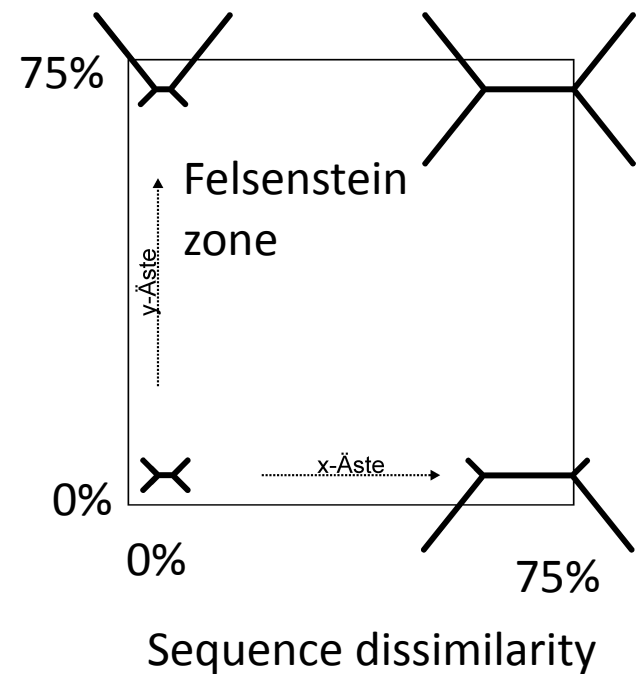
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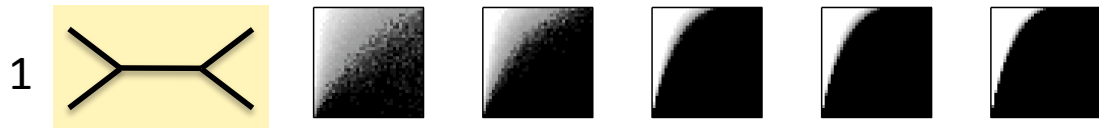
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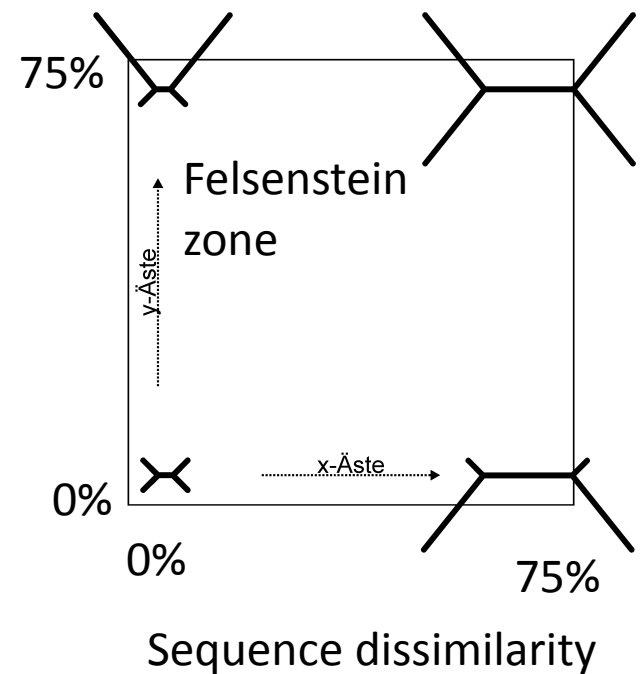
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500 1000 10000 20000 50000

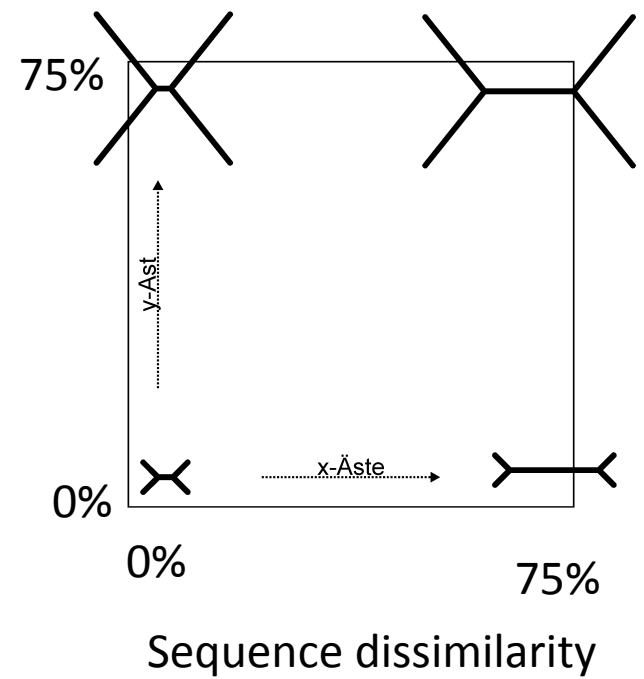
Sequence length

Tree shapes:

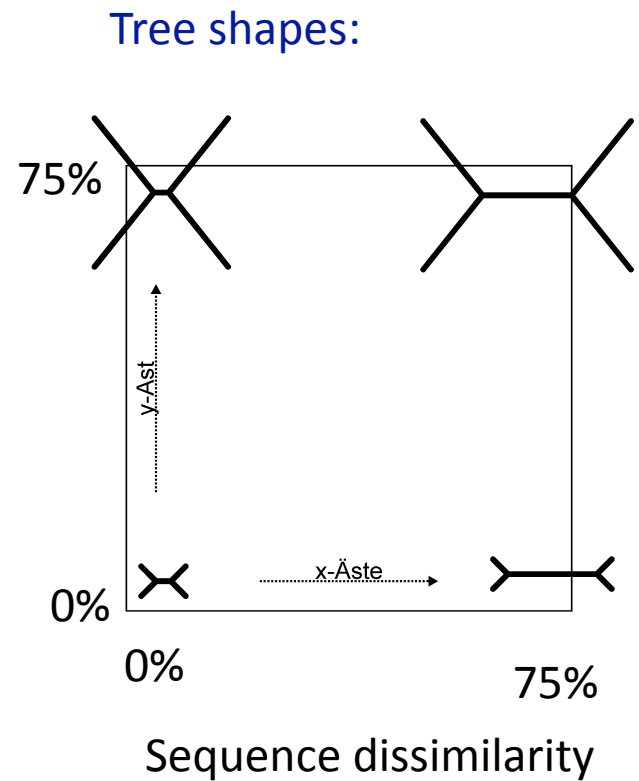
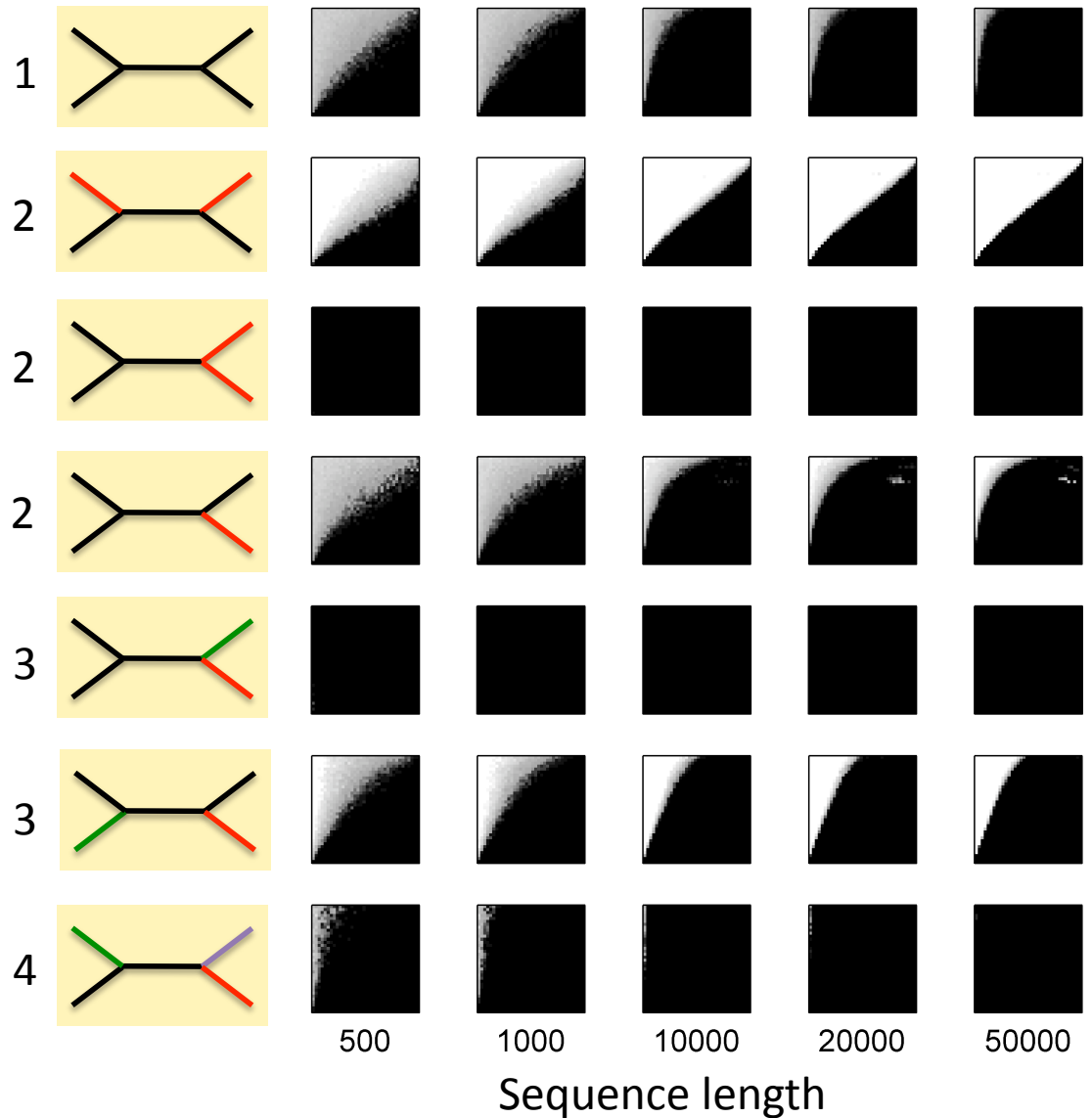


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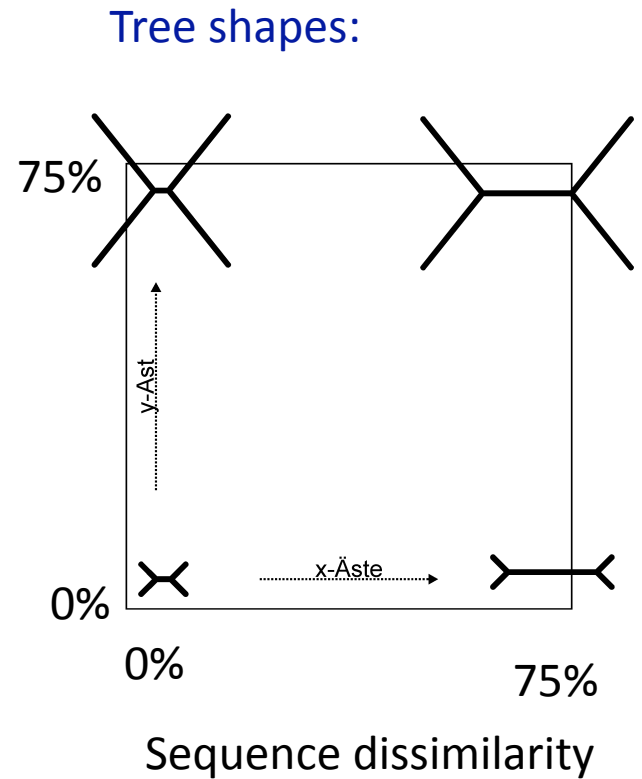
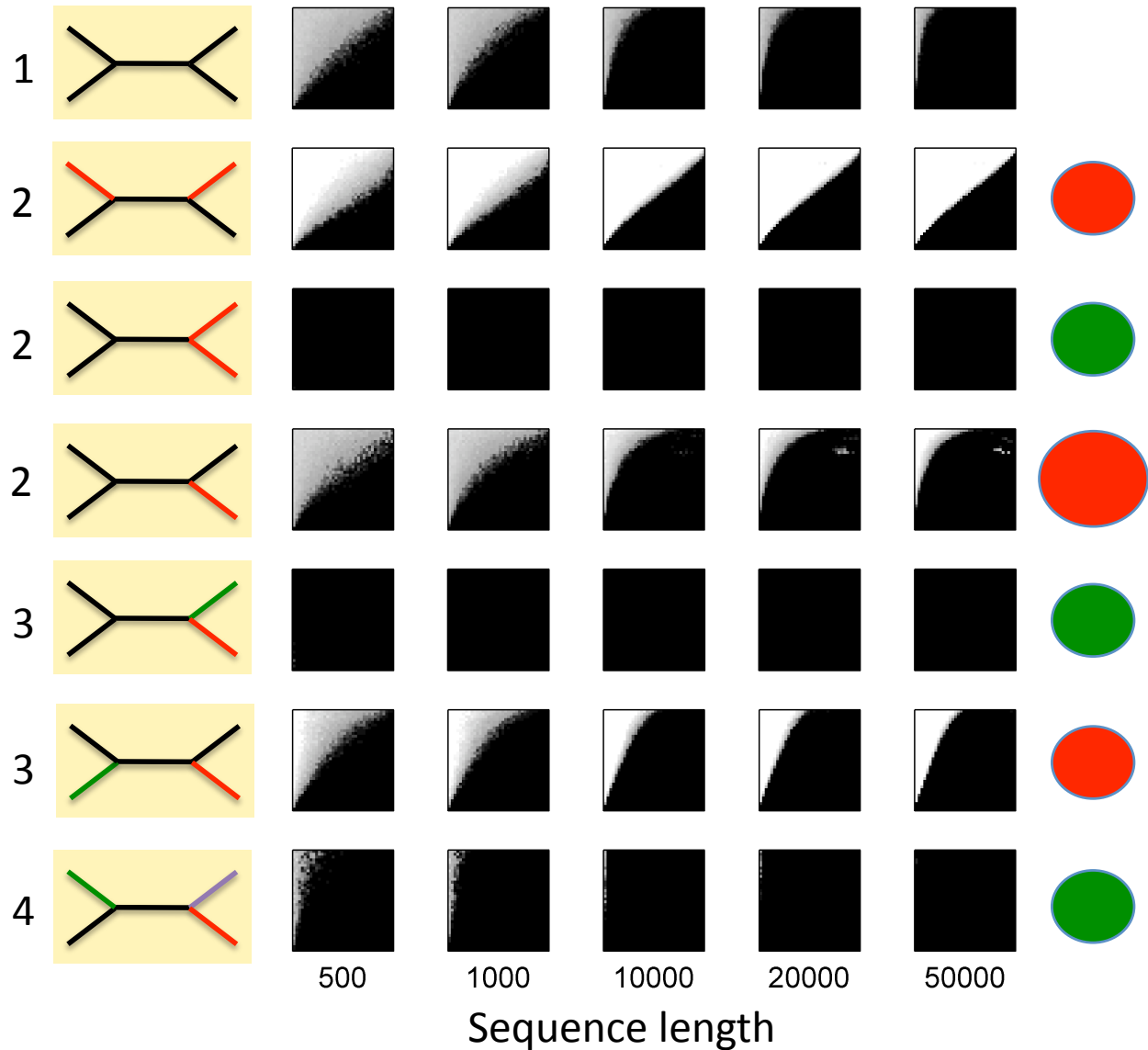
Tree shapes:



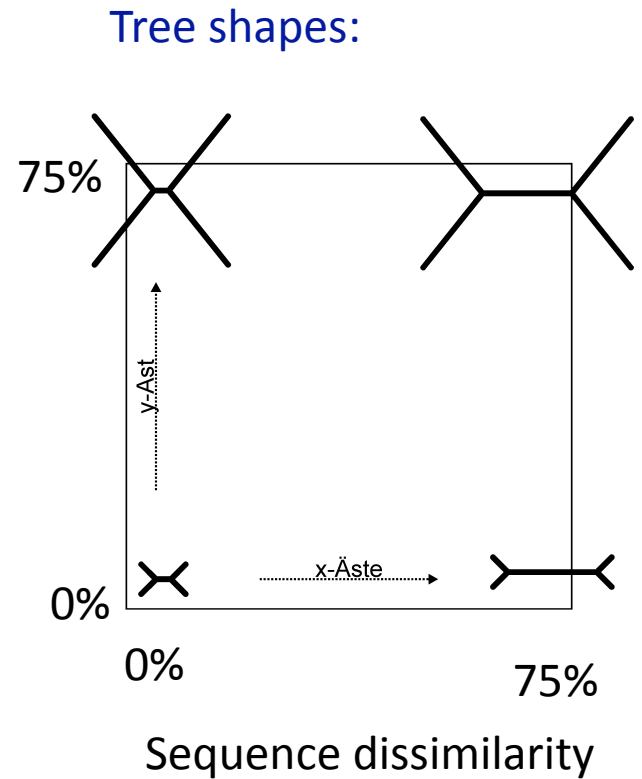
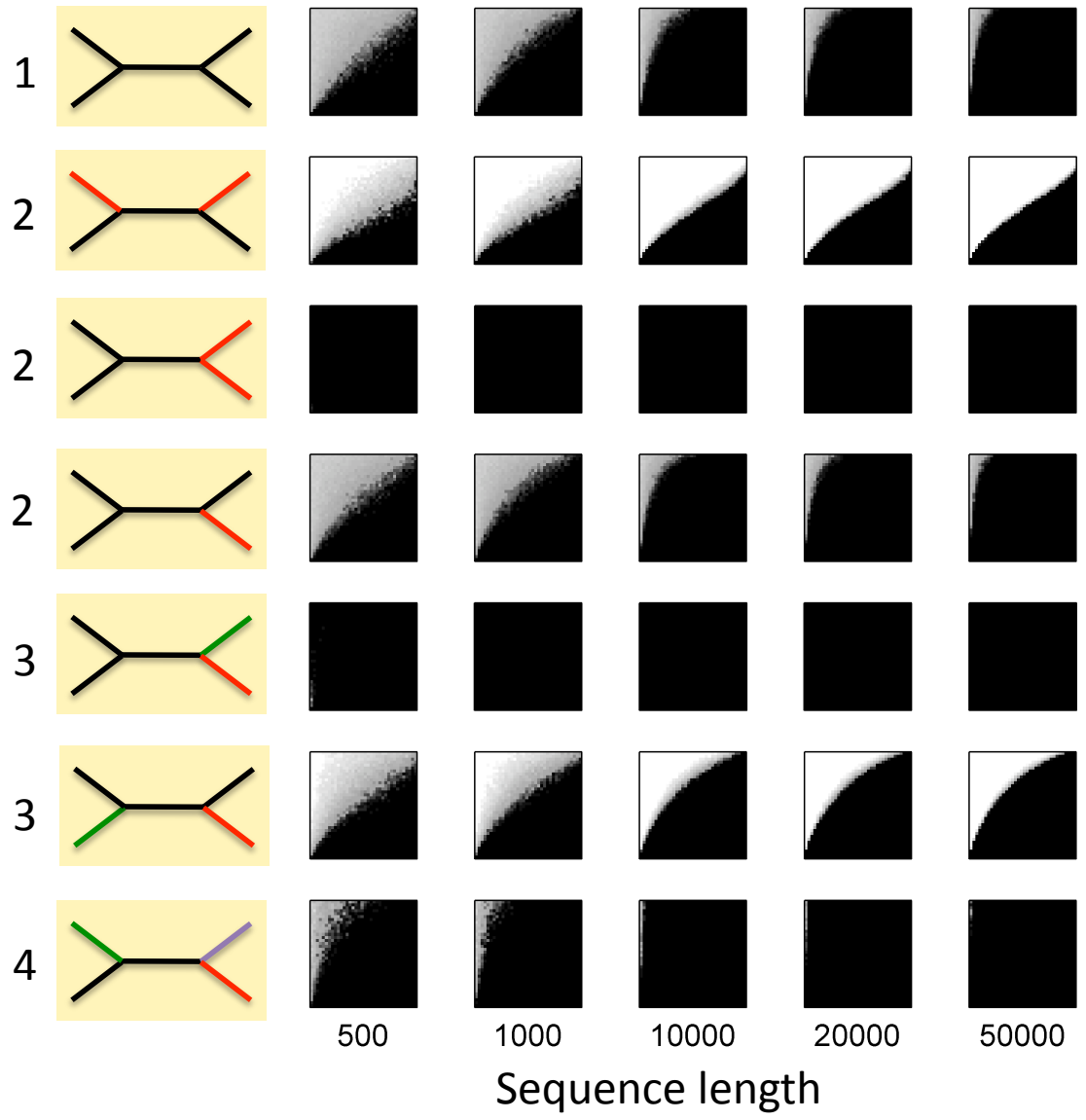
All models: JC + G, alpha = 0.1, Reconstruction: **ML**



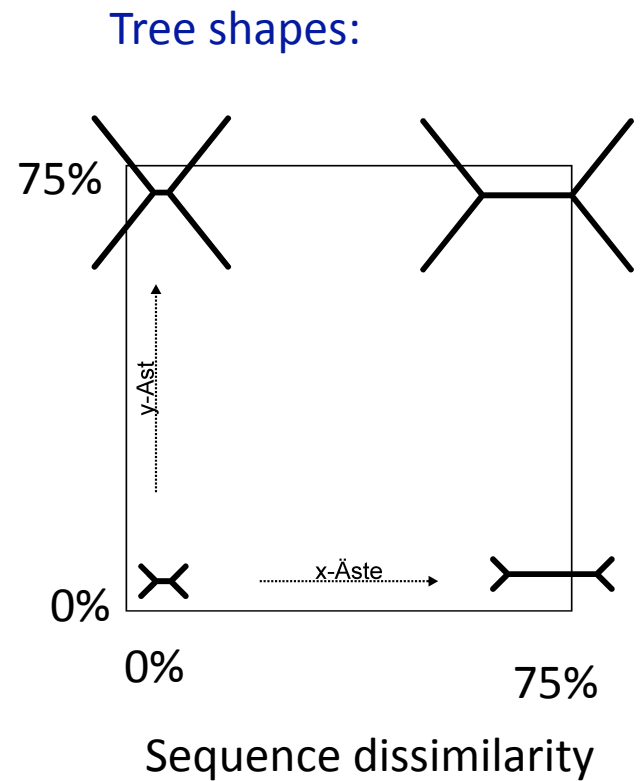
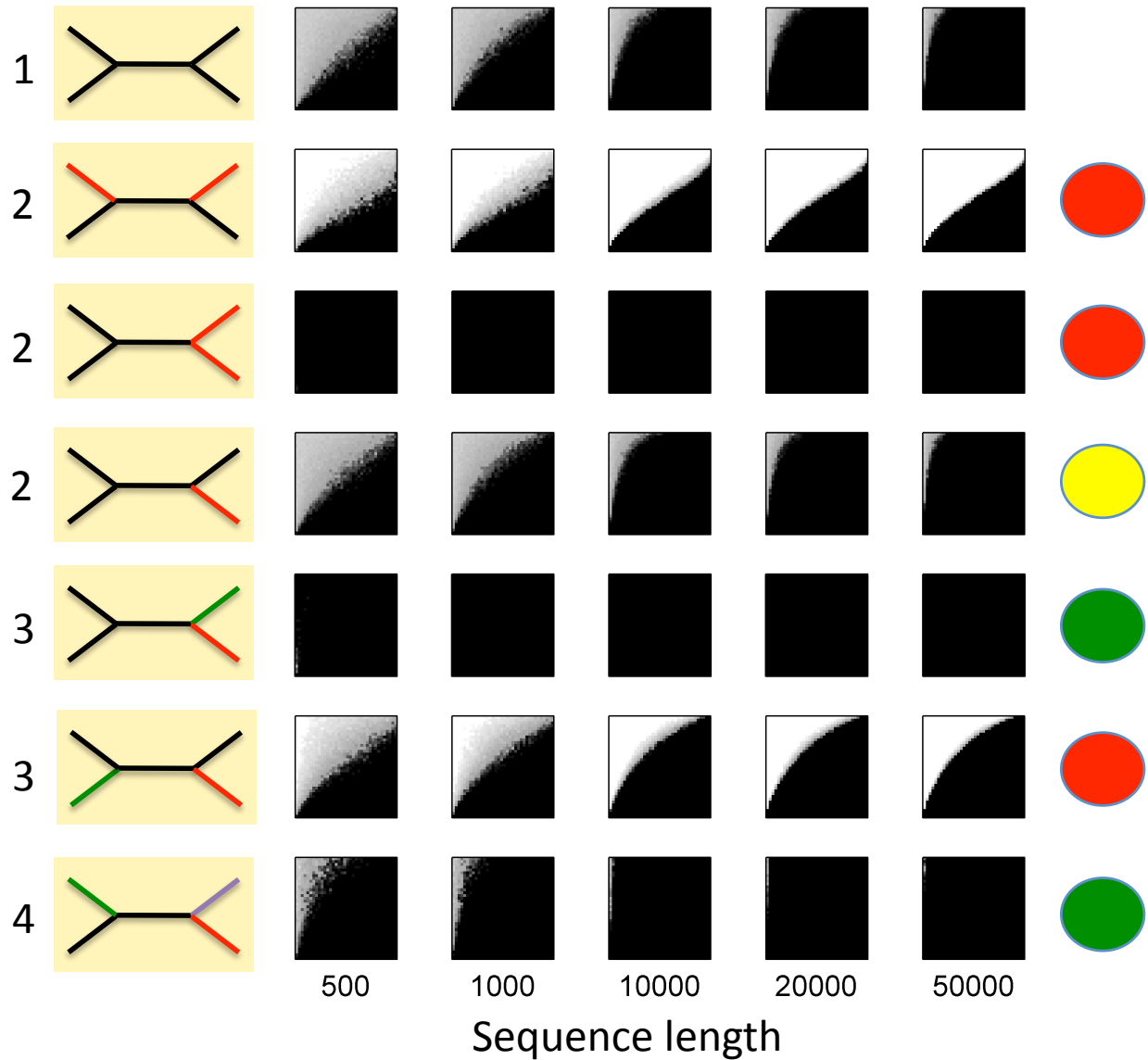
All models: JC + G, alpha = 0.1, Reconstruction: **ML**



All models: JC + G, alpha = 0.1, Reconstruction: **MP**

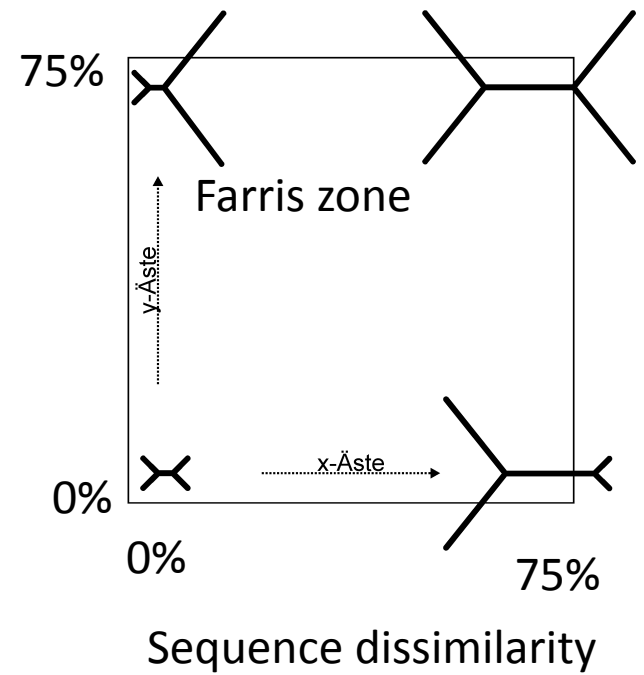


All models: JC + G, alpha = 0.1, Reconstruction: MP

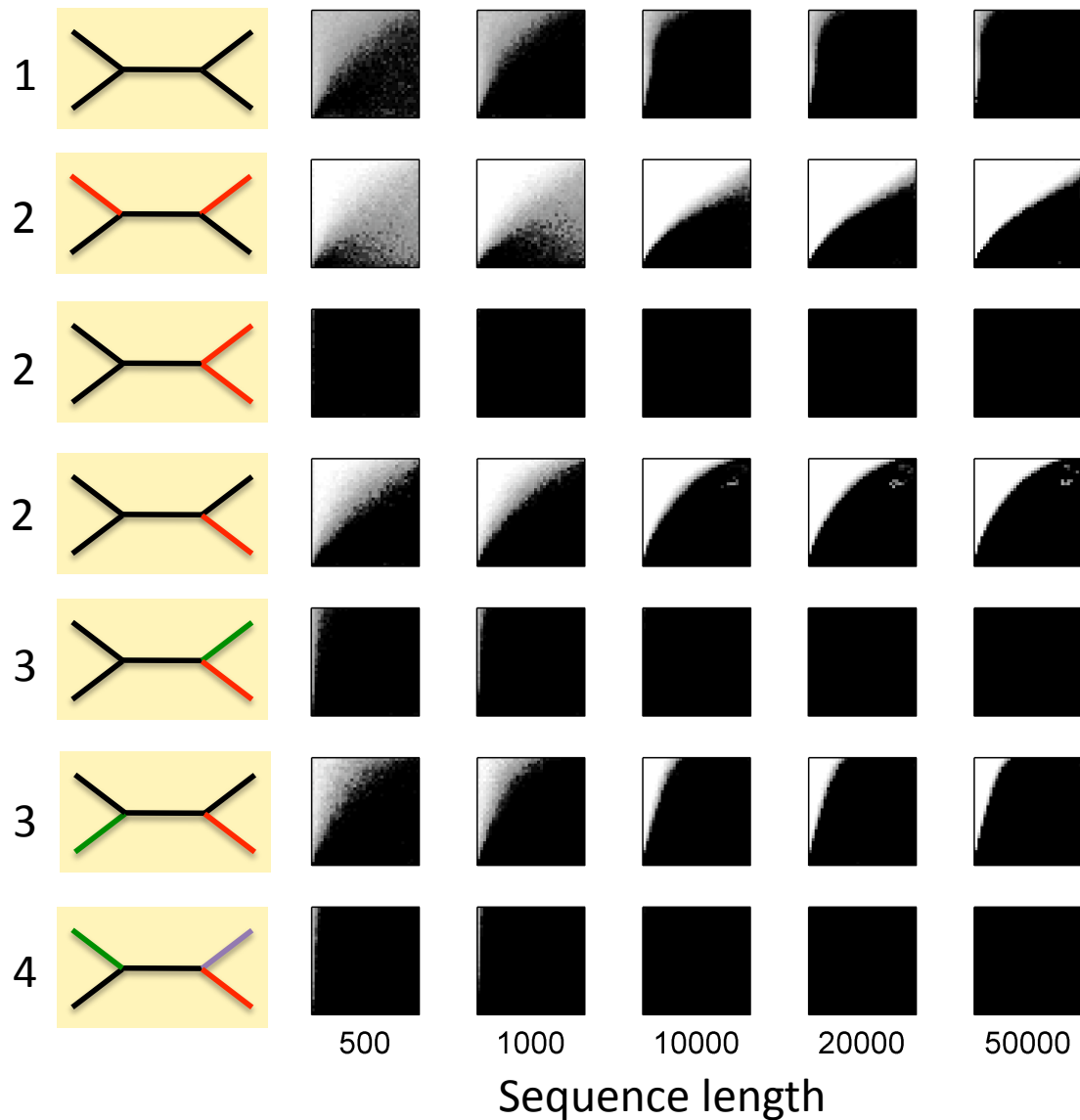


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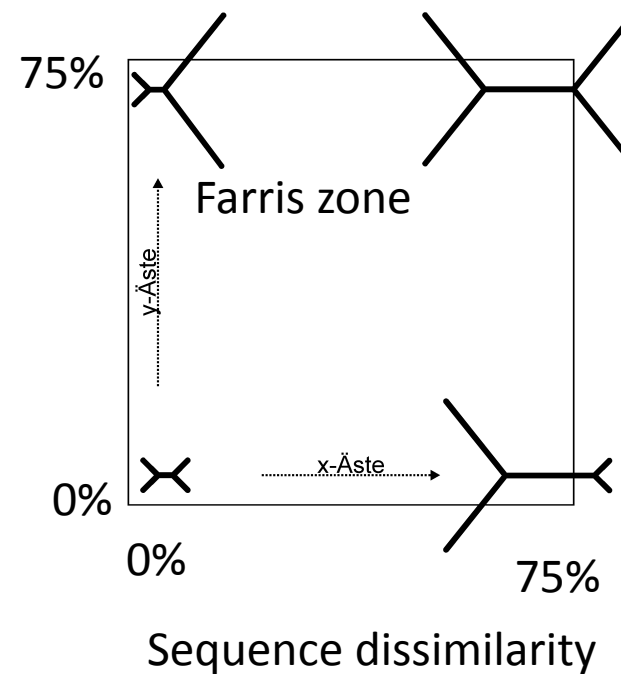
Tree shapes:



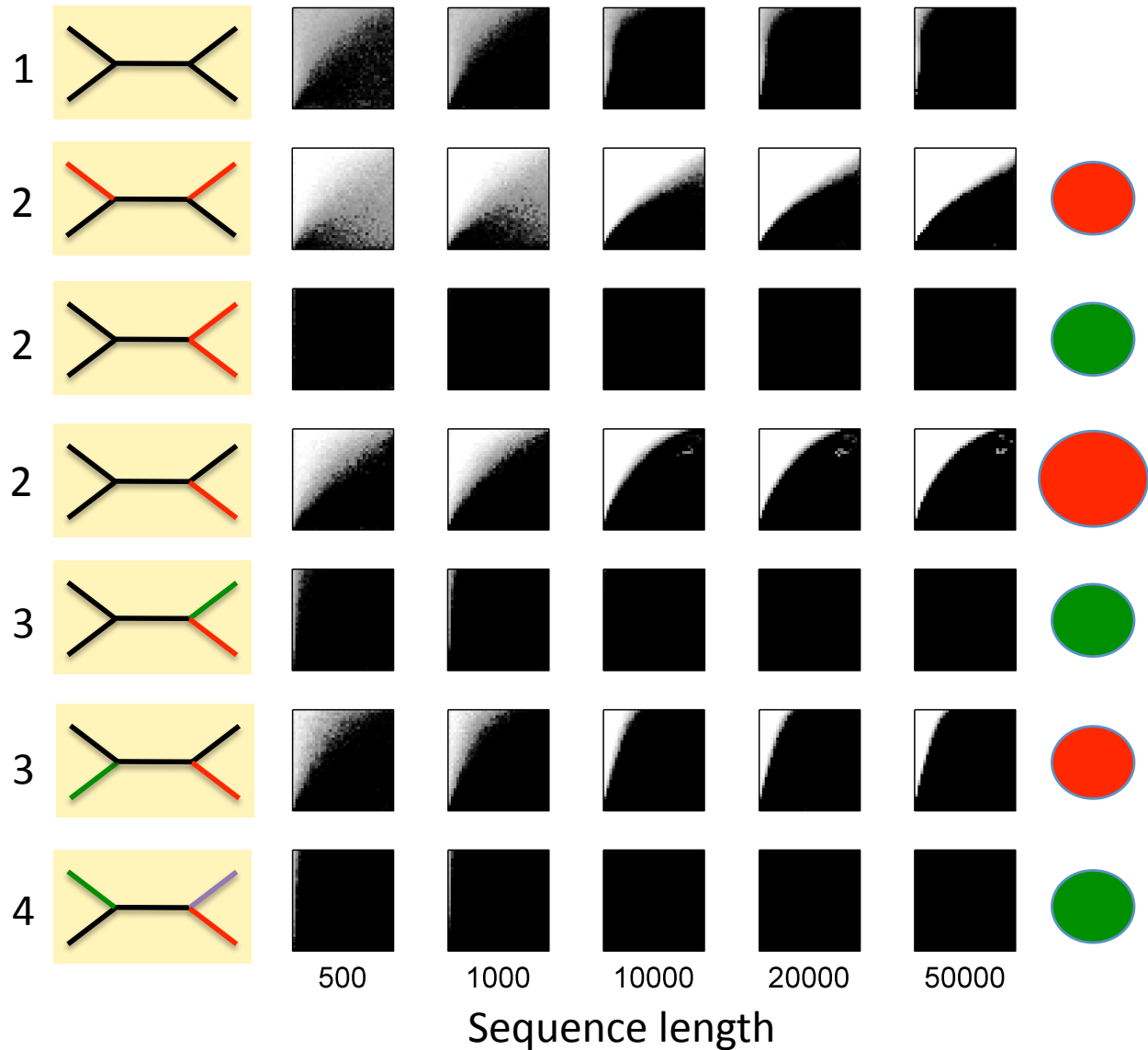
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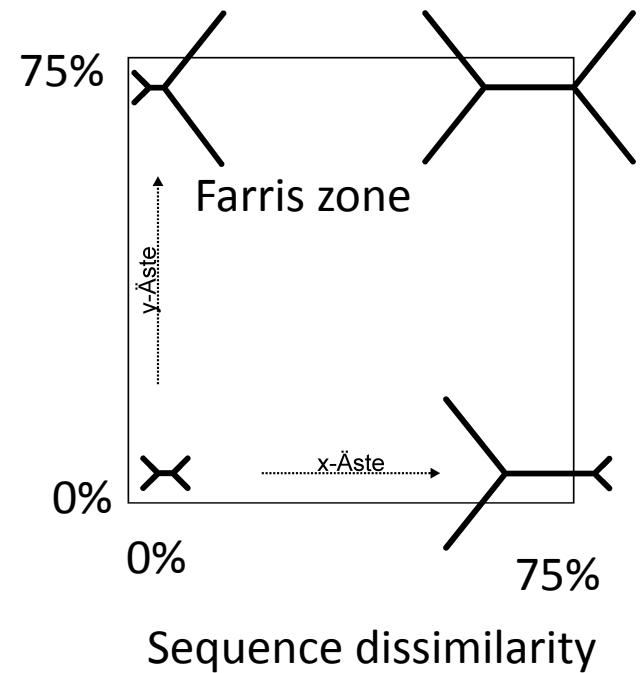
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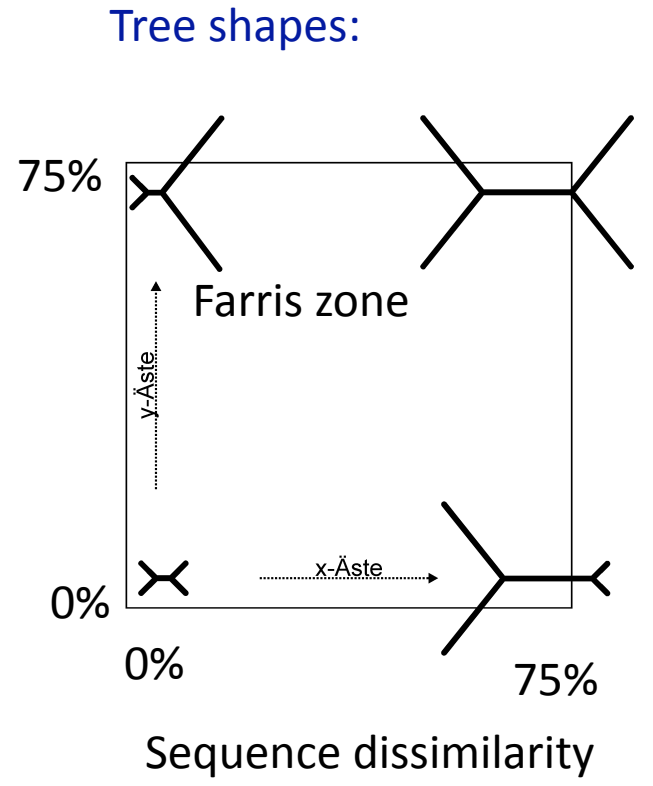
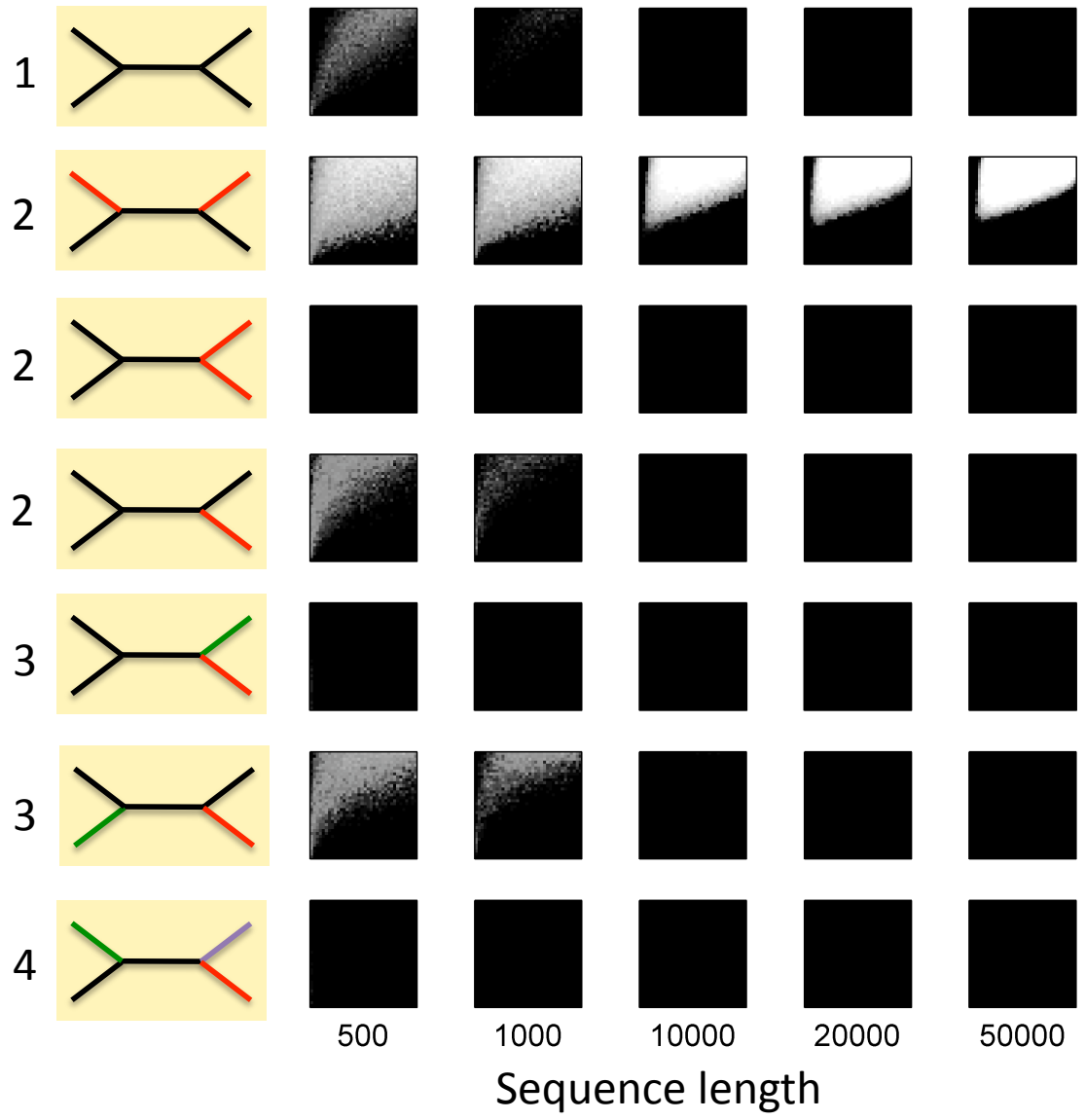
All models: JC + G, alpha = 0.1, Reconstruction: ML



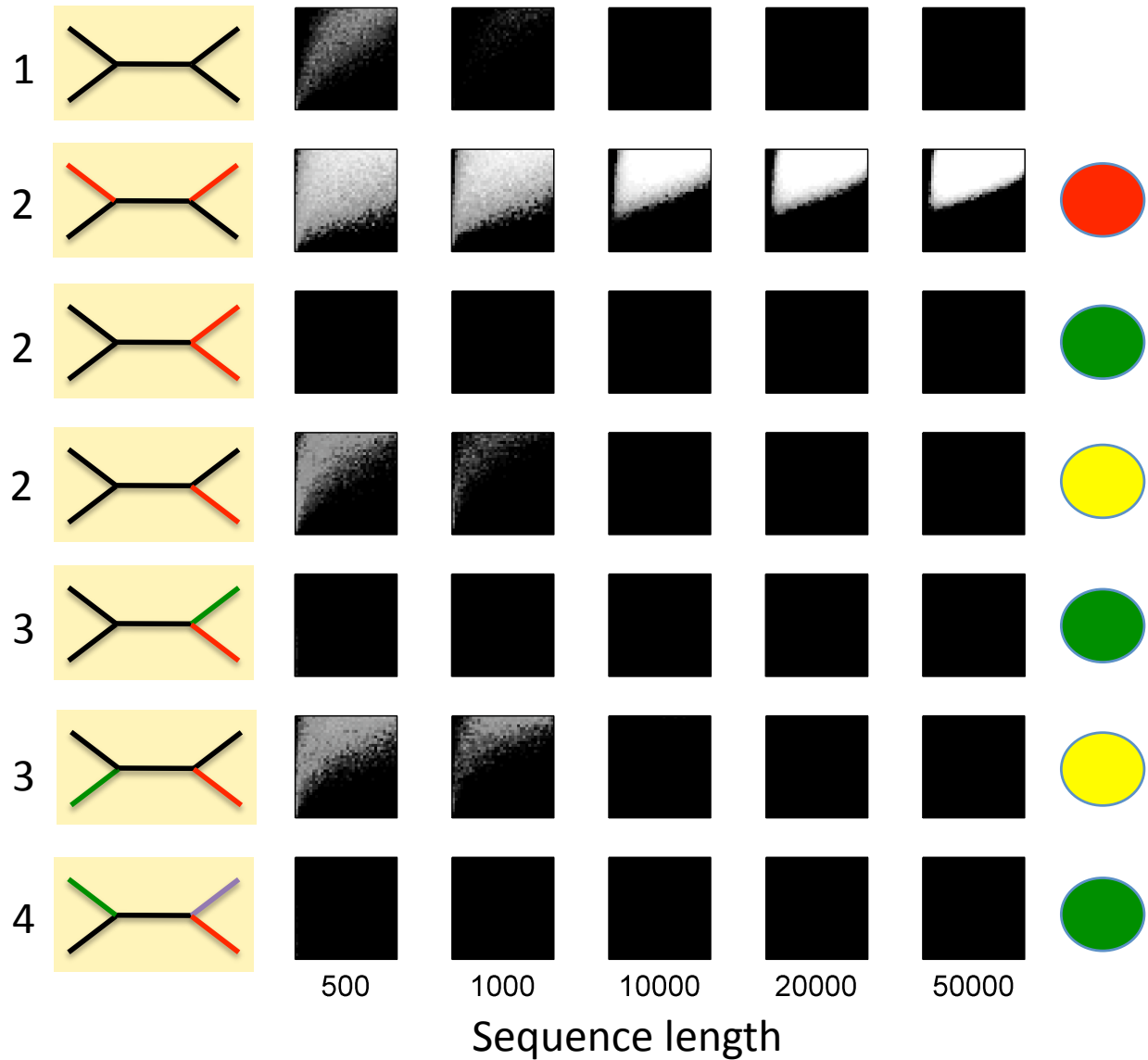
Tree shapes:



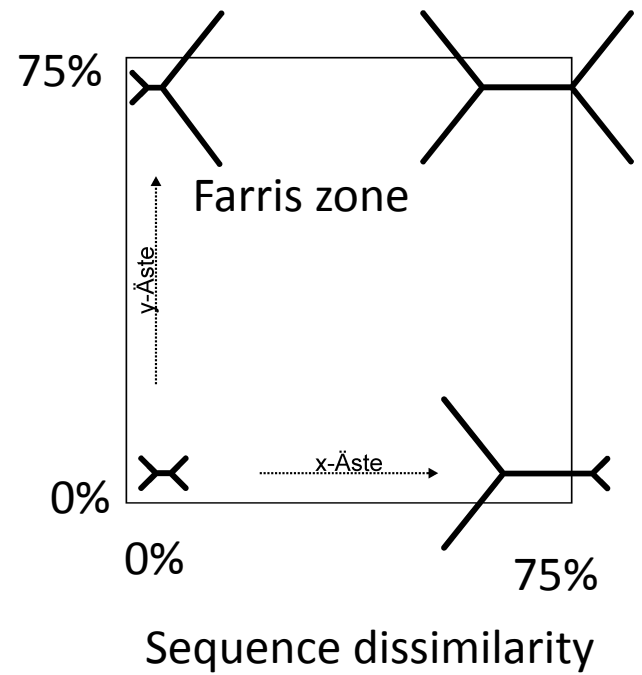
All models: JC + G, alpha = 0.1, Reconstruction: **MP**



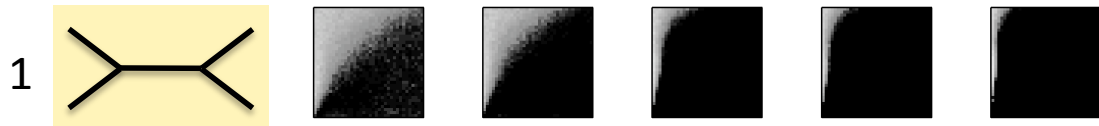
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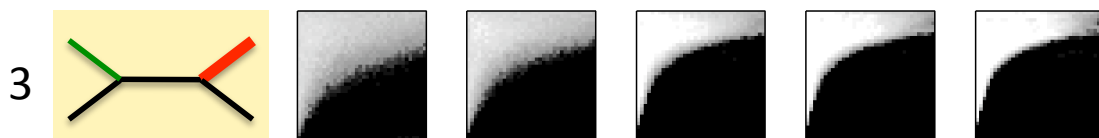
Tree shapes:



All models: JC + G, $\alpha = 0.1$, Reconstruction: **ML**



Third model has equal rates



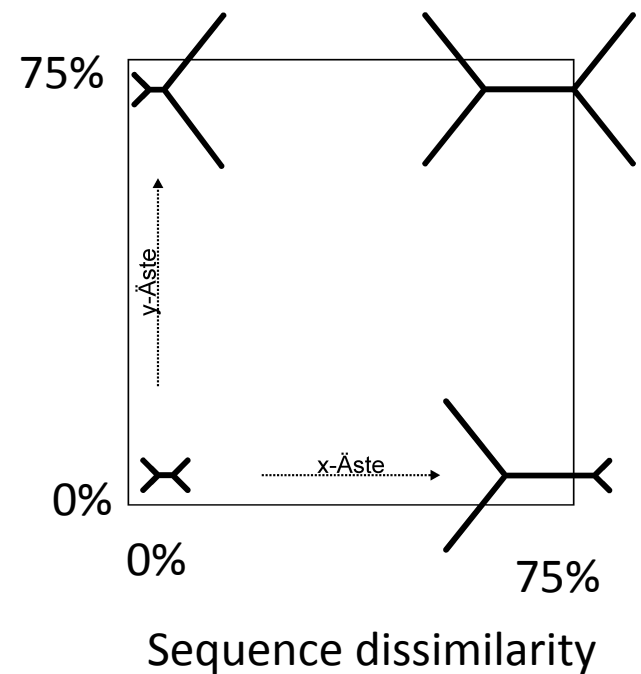
Third model has $\alpha = 0.1$



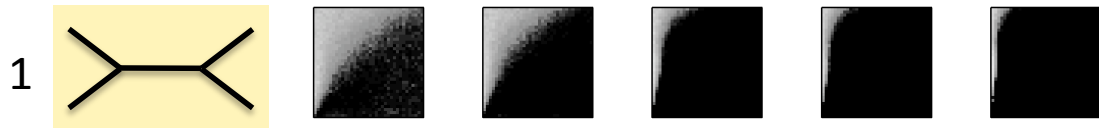
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Sequence length

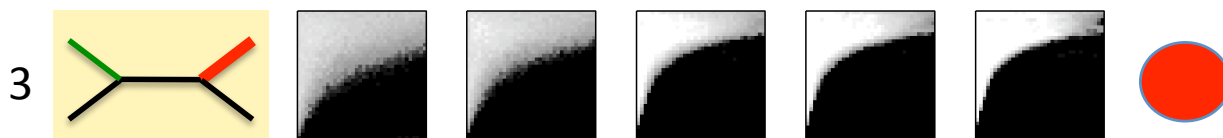
Tree shapes:



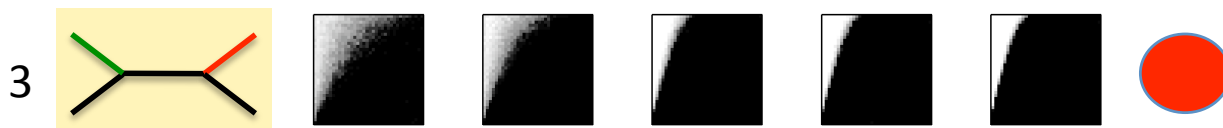
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Third model has equal rates



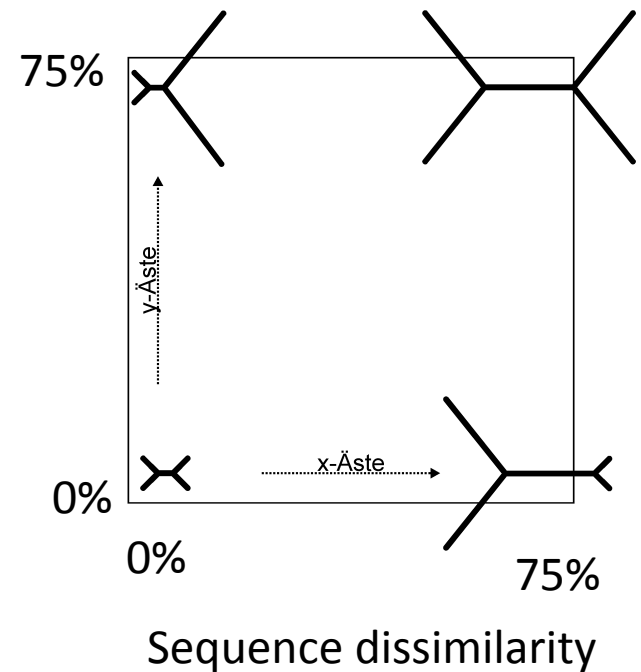
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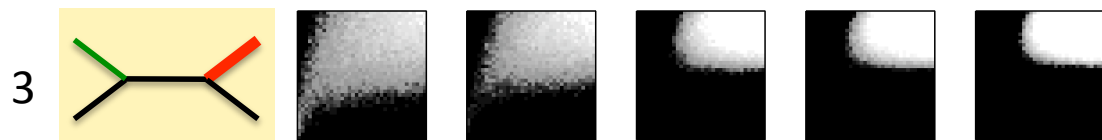
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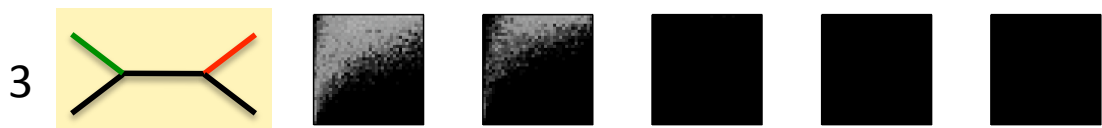
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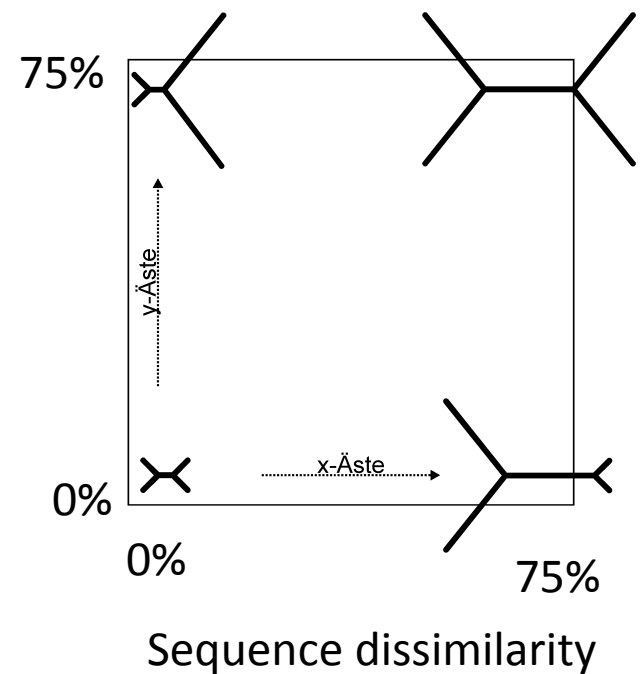
Third model has $\alpha = 0.1$



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Sequence length

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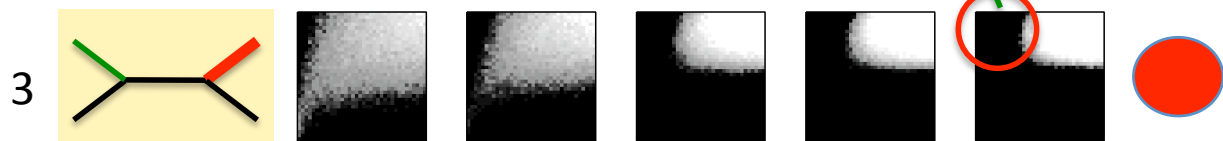


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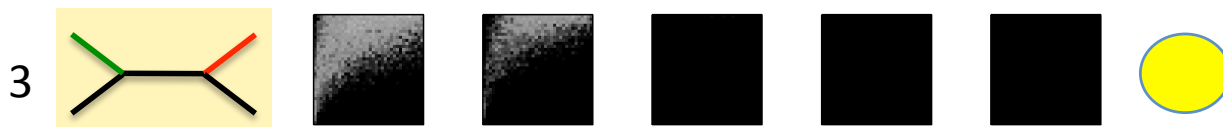


Correct due to long branch attraction

Third model has equal rates



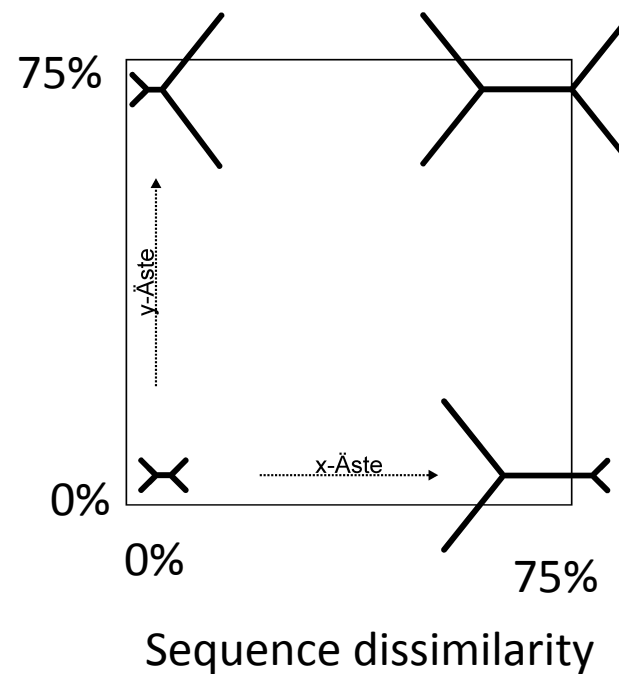
Third model has $\alpha = 0.1$



500 1000 10000 20000 50000

Sequence length

Tree shapes:



Conclusions

- Heterotachy can strongly decrease and increase phylogenetic accuracy.
- It is worrying that a different model on a single branch decreases the accuracy of ML considerably.
- Likelihood gets strongly affected if heterogeneity differs in different lineages.

Selected References

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